

# Chapter 6 § 5

## Parts of Similar Triangles

### Theorems :

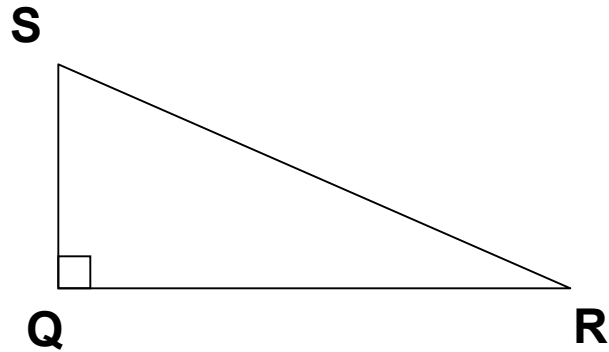
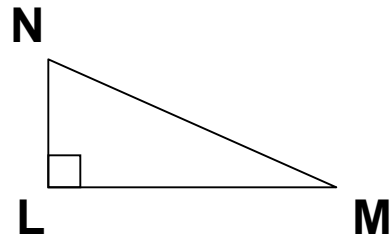
**Proportional Perimeters (7-7) – If two triangles are similar, then the perimeters are proportional to the measures of corresponding sides.**

**(7-8) – If two triangles are similar, then the measures of the corresponding altitudes are proportional to the measures of the corresponding sides.**

**(7-9) – If two triangles are similar, then the measures of the corresponding angle bisectors of the triangles are proportional to the measures of the corresponding sides.**

**(7-10) – If two triangles are similar, then the measures of the corresponding medians are proportional to the measures of the corresponding sides,**

**Angle Bisector (7-11) – An angle bisector in a triangle separates the opposite side into segments that have the same ratio as the other two sides.**



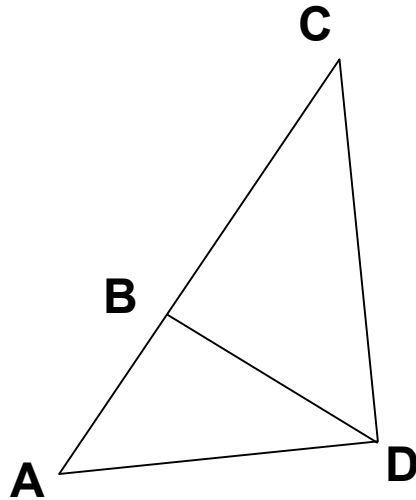
$\triangle LMN \sim \triangle QRS$ ,  $QR = 40$ ,  $RS = 41$ ,  $SQ = 9$ , and  $LM = 9$ ,  
find the perimeter of  $\triangle LMN$ .

$$\frac{LM}{QR} = \frac{X}{\text{perimeter of } \triangle QRS}$$

$$\frac{9}{40} = \frac{x}{90}$$

$$40x = 810$$

$$x = 20.25$$



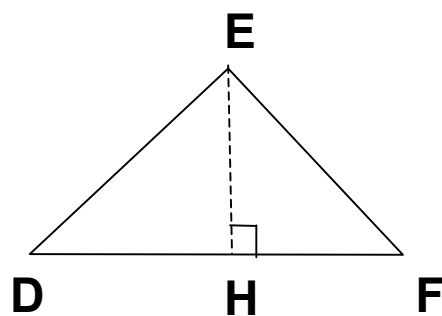
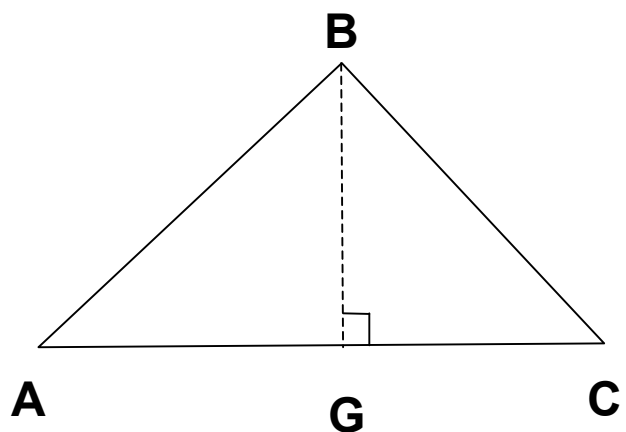
$\triangle ABD \sim \triangle ADC$ . If  $AD = 16$ ,  $AC = 31$ , and  $DC = 23$  find the perimeter of  $\triangle ABD$ .

$$\frac{AD}{AC} = \frac{X}{\text{perimeter of } \triangle ADC}$$

$$\frac{16}{31} = \frac{x}{70}$$

$$31x = 1120$$

$$x = 36.1$$



In the figure at the right,  $\triangle ABC \sim \triangle DEF$ . If  $BG$  is an altitude of  $\triangle ABC$ , and  $EH$  is an altitude of  $\triangle DEF$ , then complete the following:

$$\frac{BG}{EH} = \frac{?}{DE}$$

The corresponding measure is  $AB$

$$\frac{BG}{EH} = \frac{BC}{?}$$

The corresponding measure is  $EF$